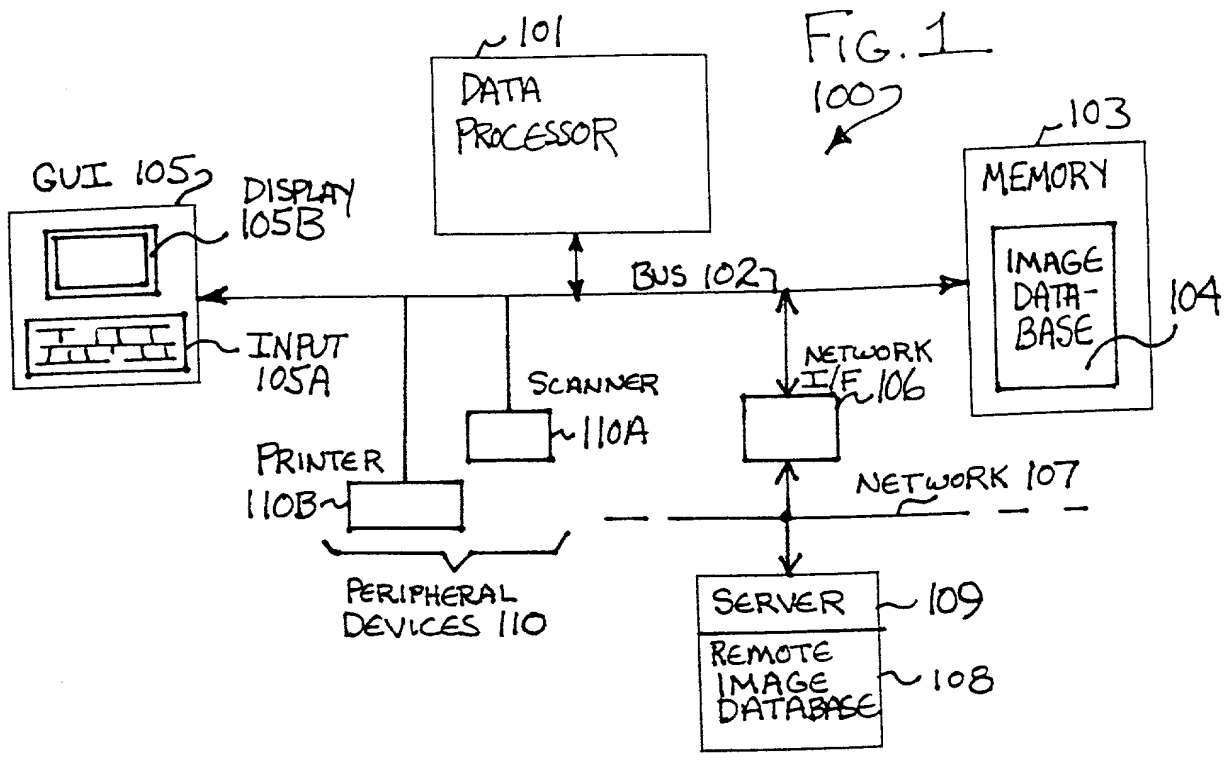


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Complete feature set for image x

Comparison rule for category c_i
(i.e. feature combination describing category c_i)

From the complete set of features for the image x , take only the features required by the comparison rule for the category c_i . ~A

Compute the similarity metric, $\text{sim}(x, c_i)$, between the image x and category c_i as:

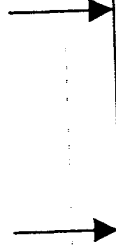
$$\text{sim}(x, c_i) = \frac{1}{N_i} \prod_{j=1}^{M_i} \tau(\text{RF}_j(x | c_i), \text{RF}_j(c_i)) \cdot \sum_{j=1}^{N_i} \tau(\text{FO}_j(x | c_i), \text{FO}_j(c_i))$$
$$\tau(a, B) = \begin{cases} 1, & (\exists i) a = b_i \\ 0, & (\forall i) a \neq b_i \end{cases} \text{ and } B = \{b_i\}_{i=1, \dots, I}$$

where: RF are M_i required features, and FO are N_i frequently occurring features for the category c_i . ~B

$\text{sim}(x, c_i)$

FIG. 2

Image x Image y



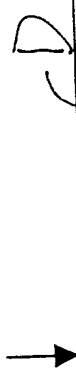
A
System computes (or loads the previously computed) complete set of features for Image x.



B
System computes (or loads the previously computed) complete set of features for Image y.



E
System computes the similarity metric between Images x and y.



C
System loads the set of semantic categories.

D
System loads the set of comparison rules (feature combinations determining each semantic category).



FIG. 3

Complete feature set for image x

Complete feature set for image y

Determine the semantic category for image x.

Determine the semantic category for image y.

Compute the similarity metric $\text{sim}(x, y)$ between the images x and y as:

$$\text{sim}(x, y) = [\text{sim}(x, y | cx) + \text{sim}(x, y | cy)] / 2$$

where:

$$\text{sim}(x, y | cx) = \frac{\prod_{j=1}^{M_i} (1 + \tau(RF_j(x | cx), RF_j(y | cx))) \cdot \prod_{j=1}^{N_i} (1 + \tau(FO_j(x | cx), FO_j(y | cx)))}{2^{M_x + N_x}}$$

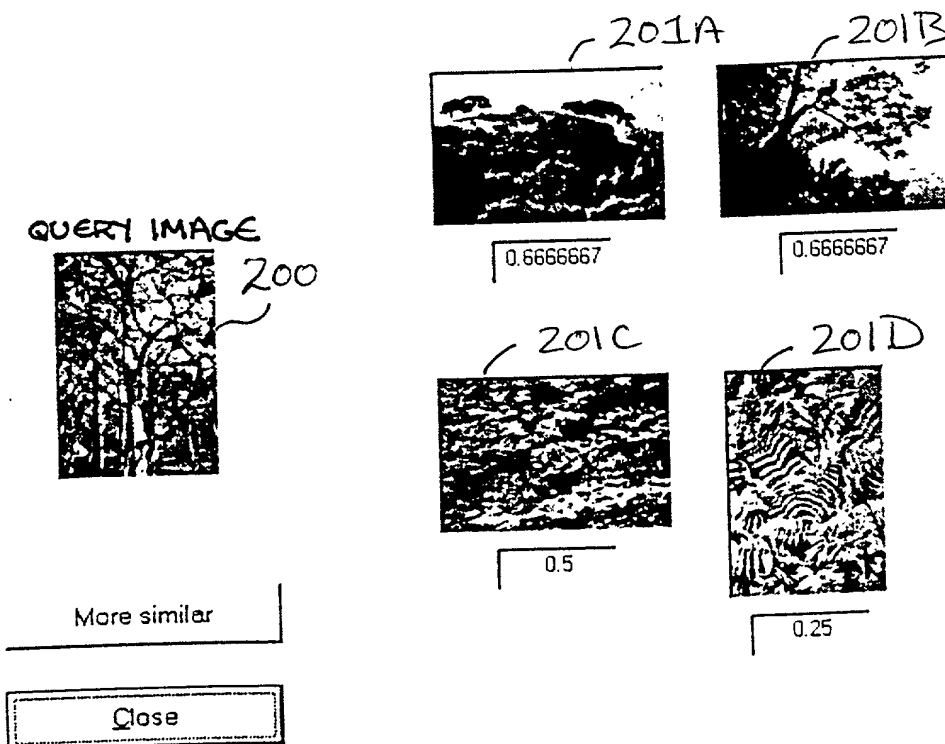
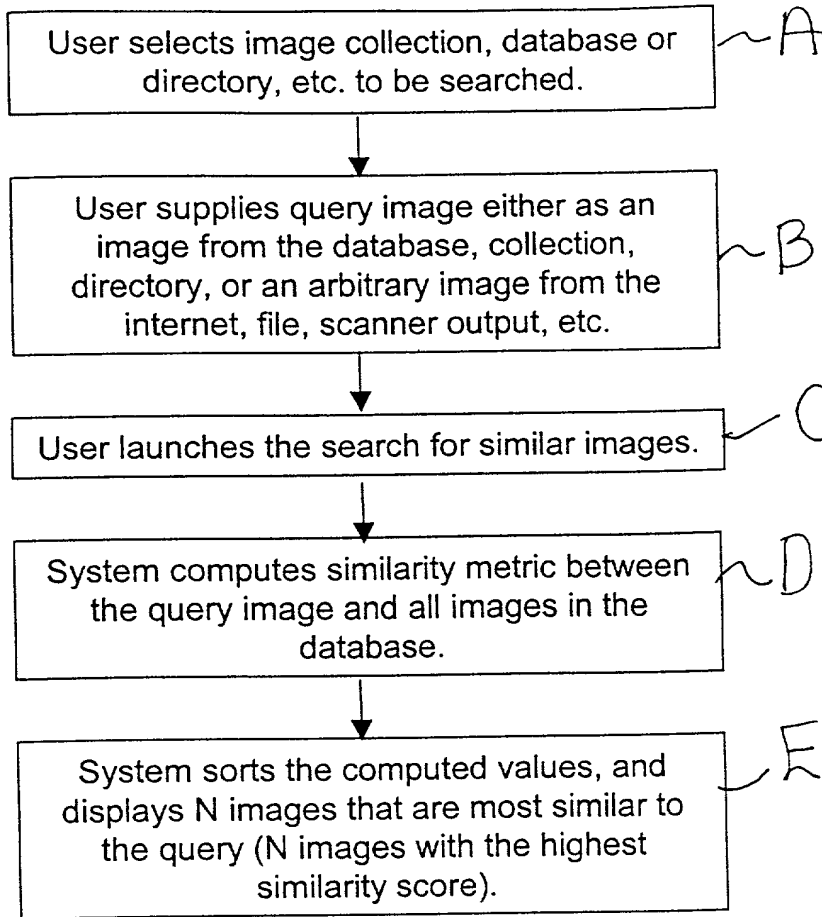
$$\text{sim}(x, y | cy) = \frac{\prod_{j=1}^{M_i} (1 + \tau(RF_j(x | cy), RF_j(y | cy))) \cdot \prod_{j=1}^{N_i} (1 + \tau(FO_j(x | cy), FO_j(y | cy)))}{2^{M_y + N_y}}$$

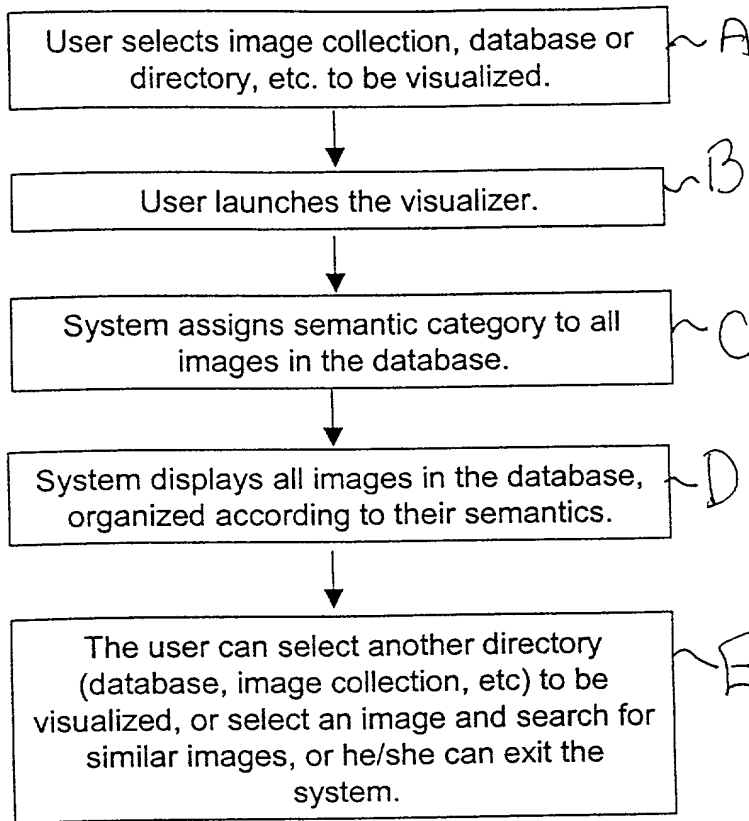
$$\tau(a, B) = \begin{cases} 1, & (\exists i) a = b_i \\ 0, & (\forall i) a \neq b_i \end{cases} \text{ and } B = \{b_i\}_{i=1, \dots, I}$$

$\text{sim}(x, y)$

FIG. 4

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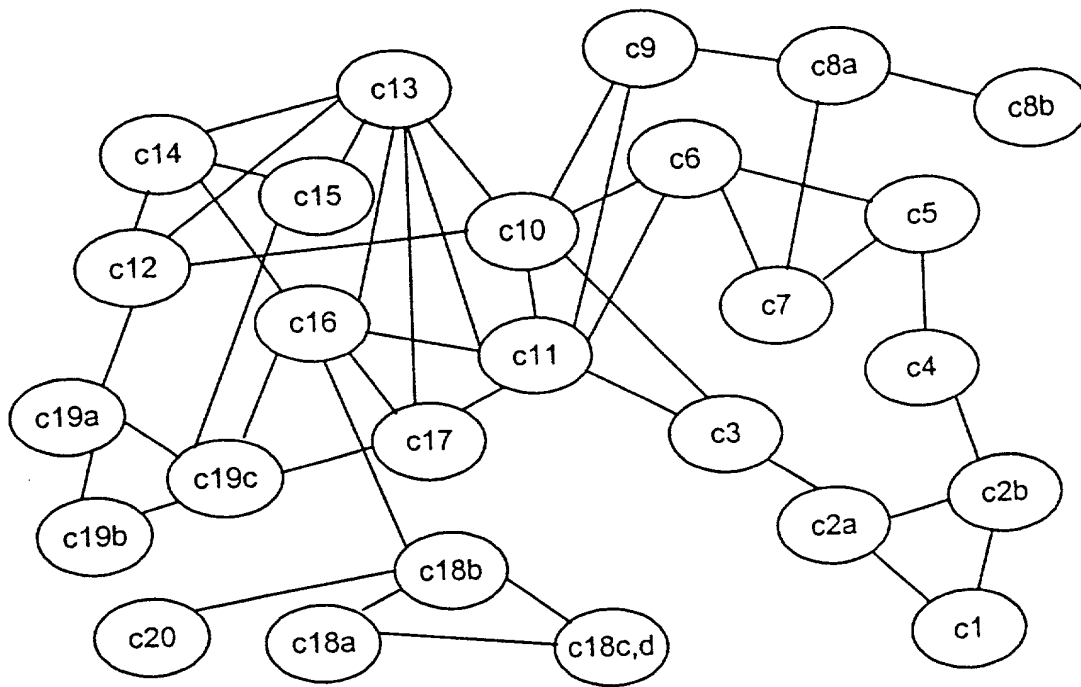


FIG.9